## Review Topics for Regents Review #1

- Quadratic Formula
- Complex Numbers
- Parabolas
- · Systems of Equations
- Substitution

## Quadratic Formula

X =

\*On your reference sheet

When entering the Quadratic Formula into your calculator, remember that you have the Alpha y= command to plug in the whole equation at once to evaluate. This command will only work for real answers and not for imaginary answers.

Example: The solutions to the equation  $-\frac{1}{2}x^2 = -6x + 20$  are

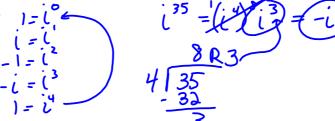
1. 
$$-6 \pm 2i$$

2. 
$$-6 \pm 2\sqrt{19}$$

4 
$$6 + 2\sqrt{19}$$

## Complex Numbers

Please refer to Section 1 in the Algebra 2 Common Core Review Packet 2019. Remember, your calculator will do the powers of i through i<sup>6</sup>.



Remember that complex numbers travel in pairs. They are called conjugates. For example, if one root of an equation is 2+i the other root is 2-i.

 $\underline{Parabola} \rightarrow The set of all points equidistant from a fixed point (focus) and a fixed line (directrix)$ 

The focus (always a point) is always inside the curve of the parabola.

The graph will always bend away from the directrix (always a line)

The vertex will always be on the parabola - right in the middle.

The axis of symmetry connects the focus and the vertex.

This is true no matter which way the parabola opens.

Equation (Standard Form):

$$\sqrt{k}$$
  $\sqrt{k}$   $(x - h)^2 = 4p(y - k)$  or  $(y - k)^2 = 4p(x - h)$ 

directrix p > 0

focus

Given the equation  $(x-3)^2 = 8(y+2)$ , find the vertex, focus and directrix

Focus (30) Directrix 4=

Given that the directrix is x = 2 and the focus is (6.3), find the vertex and the equation of the parabala y = (y - k) = (

🔰 in your Algebra 2 CC Review Packet for information about Parabolas.

Substitution/Elimination

Remember to get the linear equation equal to x or y and substitute the linear equation for x or y into the other equation given equation.

Solve the system of equations algebraically (Let's just set up the substitution and get the equation equal to zero)

$$(x-3)^2 + (y+4)^2 = 9$$

$$x + y = 4$$

Let's discuss the process. Solve the following system of equations algebraically for all values of x, y, and z.

$$x + 3y + 5z = 45$$

$$6x - 3y + 2z = -10$$

$$-2x + 3y + 8z = 72$$